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॥ ८० ॥ =



$$\underline{\| \odot \| \quad | \varepsilon \odot = \cdot \quad \| \sqsubset \odot \# =}$$

$$\| \cdot + \odot \quad | \backslash \odot \| \quad | \varepsilon \odot = \cdot \quad \| \sqsubset \odot \# = \quad \vdash E = E$$

$$\| \odot \| \vdash \quad \odot \odot \vdash \sqsubset \quad \odot \odot \vdash \sqsubset \quad \odot = \quad \vdash \vdash \vdash \vdash$$

$$\vdash \vdash \vdash \quad \odot = \quad \varepsilon \vdash \odot \quad \varepsilon \vdash \odot \quad \odot = \quad \varepsilon E \cdot$$

$$E \sqsubset E \odot \varepsilon | + \quad \varepsilon E \cdot \quad \odot = \quad \# \odot \odot \quad E \vdash \odot \cdot$$

$$| \odot | \quad + \sqsubset \odot \quad \# \odot \odot \quad \odot = \quad \vdash \odot \odot \sqsubset$$

$$\vdash \odot \odot \sqsubset \quad \odot = \quad \odot \sqsubset \quad \odot \sqsubset \quad \odot = \quad \sqsubset | E \odot$$

$$\sqsubset | E \odot \quad \odot = \quad | \odot | \quad | \odot | \quad \odot = \quad \odot \| \sqsubset |$$

$$\odot \| \sqsubset | \quad \odot = \quad \odot = \odot \quad | \vdash \quad \odot \cdots \odot$$

$$\odot = \odot \quad \odot = \quad \vdash \odot E \quad | \vdash \quad \odot +$$

$$\vdash \odot E \quad \odot = \quad \varepsilon \odot \varepsilon \quad \varepsilon \odot \varepsilon \quad \odot =$$

$$\sqsubset | \cdot \| \quad E = E \quad E = E \quad \odot =$$

$$\odot \parallel \square \mid) \mid + + + + + \odot \varepsilon \cdot)$$

$$\odot \parallel \square \mid \quad \odot = \quad \odot \vdots \odot \mid) \odot \vdots \odot \mid$$

$$\odot = \odot \varepsilon \cdot) \odot \varepsilon \cdot \quad \odot = \odot \varepsilon \cdot) \odot \varepsilon \cdot$$

$$\odot = \varepsilon \odot \varepsilon +) \varepsilon \odot \varepsilon + \quad \odot =$$

$$\varepsilon \odot \square) \varepsilon \odot \square \quad \odot = \varepsilon \odot \varepsilon) \varepsilon \odot \varepsilon$$

$$\odot = \varepsilon + \square) \varepsilon + \square \quad \odot = \dots \varepsilon)$$

$$\dots \varepsilon \quad \odot = \quad \vdots \varepsilon \vdots \varepsilon \odot) \quad \vdots \varepsilon \vdots \varepsilon \odot$$

$$\odot = \square \mid \odot \varepsilon) \square \mid \odot \varepsilon \quad \odot = \square \mid)$$

$$\square \mid \quad \odot = \varepsilon \odot \varepsilon \odot) \varepsilon \odot \varepsilon \odot$$

$$\odot = \varepsilon \dots \varepsilon \odot \quad \varepsilon \square \varepsilon \odot \varepsilon \mid +$$

$$\square \varepsilon \quad = \varepsilon \vdots + \parallel = \varepsilon \mid \quad \vdots \parallel \odot \odot \parallel$$

$$\odot \odot \odot \parallel \varepsilon) \quad \varepsilon \varepsilon \odot \quad + \parallel = \varepsilon$$

$$\odot \Phi \Phi \parallel \backslash \quad \varepsilon \cdots | \varepsilon \odot \quad O =$$

$$\odot \parallel + \varepsilon \parallel) \odot \parallel + \varepsilon \parallel \quad O = \underbrace{\Gamma O \Phi \Phi \parallel)}$$

$$\Gamma O \Phi \Phi \parallel \quad O = \quad \Phi \underline{\varepsilon E}) \quad \Phi \varepsilon E$$

$$O = \quad \parallel \varepsilon :: \underline{\sqsubset}) \quad \parallel \varepsilon :: \sqsubset \quad O = \quad \underline{\Gamma O)}$$

$$\Gamma O \quad O = \quad \odot \underline{E ::}) \quad \odot E :: \quad O =$$

$$\cdots \underline{\sqsubset}) \quad \cdots \sqsubset \quad O = \quad \parallel \underline{\varepsilon E}) \quad \parallel \varepsilon E$$

$$O = \quad \parallel \varepsilon \underline{\Gamma O}) \quad \parallel \varepsilon \Gamma O \quad O = \quad \underline{\sqsubset + 1)}$$

$$\sqsubset + 1 \quad O = \quad \varepsilon :: \underline{\Phi}) \varepsilon :: \Phi \quad O =$$

$$\varepsilon \odot \text{H} \quad \parallel \odot \quad | \sqsubset O \varepsilon \sqsubset \cdot$$

$$+ E :: + = O = \quad \varepsilon \odot = \cdot \quad = + = :: O |$$

$$\parallel \sqsubset \odot \text{H} =) \quad \sqsubset O | \quad \parallel \# E |$$

$$| \Phi O :: \sqsubset \quad :: O E = E \quad \sqsubset \odot | \quad \sqsubset O = E :: \underline{\Gamma)}$$

$\parallel \# E \mid \quad \mathbb{W} = E \quad \dot{\vdash} O + \parallel = \xi \quad \odot \oplus \oplus \parallel \setminus$
 $\sqsubset \odot \mid \quad \sqsubset O = E \dot{\vdash} \uparrow \parallel \# E \mid \quad \dot{\vdash} O + \parallel = \xi$
 $\odot \oplus \oplus \parallel \setminus \quad \dot{\vdash} O \parallel \sqsubset \odot \mathbb{H} = \sqsubset \odot \mid \quad \sqsubset O =$
 $E \dot{\vdash} \uparrow$
 $\sqsubset + \xi = 1:1-17$

$+ \dot{\vdash} + \quad 1 \xi \odot = \cdot \parallel \sqsubset \odot \mathbb{H} = \quad E E \dot{\vdash} + \sqsubset \odot$

$+ \dot{\vdash} + \quad 1 \xi \odot = \cdot \parallel \sqsubset \odot \mathbb{H} = \quad E E \dot{\vdash} + \sqsubset \odot$

$\sqsubset O \xi \sqsubset \cdot \quad + \mid \cdot \quad 1 \xi \odot = \cdot \quad + \mid \cdot \quad O \dot{\vdash} = \parallel$

$\mid \mathbb{H} \parallel \mathbb{H} \quad E \xi \odot \mathbb{H}) \quad \dot{\vdash} O = \cdot \quad = O \mid \sqsubset \odot \mid$

$\sqsubset O \xi \sqsubset \cdot \quad \oplus \mid \mathbb{H} \parallel \parallel \quad + E \oplus \quad \dot{\vdash} \mathbb{W} \odot \cdot$

$\odot \sqsubset \mid \quad = \parallel \parallel + \mid \setminus) \quad \xi \odot \mathbb{H} \quad \sqsubset O \dot{\vdash} = \parallel \setminus +$

$$\square \odot = E \square \quad ; \underline{E \mid} = \odot \odot.$$

$$++ \odot :: \odot :: E \quad E+ \quad + E \square$$

$$\uparrow \odot \quad :: \sqcup \odot \quad \odot \quad \uparrow \quad 1 \varepsilon +$$

$$\mid \square \uparrow \varepsilon \quad E \odot \odot \quad E :: \odot + \odot) \quad \odot$$

$$\odot \square E \odot \mid \quad \square E \odot \mid = \sqcup \varepsilon \quad \mid \varepsilon \parallel \parallel \odot$$

$$\uparrow :: \parallel \odot \quad \mid \square \parallel \varepsilon \quad E :: \mid \varepsilon \quad E :: + \odot)$$

$$\uparrow :: \parallel \odot \quad \mid \quad \varepsilon \odot \varepsilon$$

$$\uparrow E = E \quad :: \varepsilon = \oplus \uparrow \uparrow \quad + \odot.$$

$$\mid E + :: \odot \parallel :: \quad \square \odot \varepsilon \square \cdot \quad ++ \uparrow \uparrow ::$$

$$\varepsilon \parallel \odot \quad = E :: \odot + = \odot = \mid \quad \square \mid$$

$$= \mid \parallel + \mid \quad \odot \quad \uparrow) \quad E + \odot =$$

$$\odot \odot \odot \quad + \uparrow :: \quad \odot \square \quad \varepsilon \odot = \cdot$$

$\mathbb{H} \parallel \odot \quad \vdash \quad \vdash \odot \Phi \odot \vdash + E \sqsubset +$
 $E \vdash \odot \vdash E \mid \odot \mid \rangle \quad \odot + = E \varepsilon \quad \vdash \parallel$
 $\vdash \quad \mathbb{H} \parallel E + = + \vdash \odot \quad \odot + = \vdash$
 $\sqsubset \parallel \varepsilon \quad E \vdash \sqsubset \varepsilon \quad \mid \backslash \Phi \varepsilon = \mid \backslash \mid \varepsilon$
 $+ \sqsubset = + \quad = \odot \mid \vdash E \varepsilon \quad \sqsubset E \mid$
 $E + \vdash = \quad + E \oplus \quad E + \odot \vdash =$
 $\Phi \odot \odot \quad \odot \quad \vdash + = \vdash = \quad \odot \sqsubset$
 $\sqsubset \mid = \parallel \quad = \sqsubset \odot \mid \quad E \vdash + \sqsubset \# \vdash \vdash$
 $\sqsubset \beta \mid \cdot \quad \parallel \cdot \quad \vdash \odot \mid \cdot \rangle \quad \varepsilon \odot \mathbb{H} \quad \vdash \cdot \odot$
 $E \vdash + \odot \rangle \quad \vdash \cdot \quad = E \odot \sqsubset \odot \quad \vdash \cdot \parallel \odot$
 $\mid \sqsubset \parallel \varepsilon \rangle \quad \vdash \odot \parallel \quad + \vdash + \mid + \rangle \quad \vdash \odot$
 $= \odot E \odot \odot \mid \sqsubset \odot \cdot \quad \vdash \odot \quad E \mathbb{H} \odot$

$$\square + \varepsilon = 1:18-25$$
$$\odot E = \text{J. H. O.} \quad \div O \square O \Sigma \square$$

$\odot \odot \parallel \square \mid \text{H} \parallel \odot \quad E = + \quad 1 \odot \quad \therefore \square$

$++'10 = + \quad 0 \cdots \square + \quad \therefore 0 \square \underbrace{61 \cdot}$

$\square \parallel \varepsilon \quad E = E O \square \cdot) \quad \square O \varepsilon \square \cdot$

$+ O \square \therefore = \parallel \mid \quad \odot \Phi + 1 +$

$+ \# \square \# \# \parallel \quad \square E O \mid \backslash + \text{H} \chi \therefore 0 \cdot$

$1 \odot \parallel \square \quad = \underline{E \varepsilon}) \quad 1 \odot \quad \therefore \parallel \odot$

$E = \oplus O \square \therefore \cdot \quad \square O \varepsilon \square \cdot \quad \text{H} \parallel \odot$

$+ '10 = \therefore \quad 0 \cdots \square + \quad \therefore 0 \square \underbrace{61 \cdot}$

$1 \varepsilon \quad E + \odot \therefore \underline{E O \therefore}) \quad E + \parallel \therefore \quad \Phi O O$

$+ '1 \therefore \odot \quad \odot \square \quad \varepsilon \odot = \cdot) \quad E \therefore \parallel$

$\uparrow = 0 \quad + = 1 = \quad \Phi O O \quad = 1 \square + \therefore \parallel \cdot)$

$+ \therefore \text{H} = \quad \square \parallel \mid \therefore \quad \square \underbrace{61 \cdot} \quad + \therefore = +$

$$+1+\emptyset \parallel 1\emptyset 1+ \square 1::\parallel$$

$$\underline{E=E}) E \uparrow \emptyset \quad \varepsilon::\varepsilon=1 \quad 1\varepsilon::\emptyset \quad \vdots \emptyset$$

$$\underline{H=})=0 \uparrow +::0E \quad +::\square 0 1+ \quad \vdots 0H=)$$

$$+1 \cdot \quad \square 0 \varepsilon \square \cdot \quad \varepsilon 1::\parallel \emptyset \quad \square \uparrow \emptyset::E \emptyset::$$

$$H \parallel \emptyset \quad = 0E\varepsilon + H \quad \parallel \emptyset) \quad 1 \emptyset$$

$$1::\parallel \emptyset \quad \square 1 \quad = 1 \parallel \parallel + 1 \quad 1 \square \uparrow 1 \cdot$$

$$E \uparrow \emptyset 1 \quad H \parallel \square) \quad +::\square 0 \quad +1 \square +::\parallel$$

$$E \uparrow \uparrow = \quad + \parallel \varepsilon) \quad EE:: \quad H \parallel \uparrow + = 1 =$$

$$\emptyset \emptyset \emptyset \quad = \parallel \parallel 1 \quad = \uparrow::=1 \quad \emptyset \emptyset \emptyset$$

$$1 \square \uparrow 1 \cdot) \quad \vdots + = \quad + \uparrow::\vdots 1 \square$$

$$\parallel \emptyset \emptyset + \quad + \emptyset::E \emptyset \quad \vdash E:: \quad E::$$

$$+ \uparrow \emptyset 1 +) \quad \vdash \cdot \quad \emptyset + = 1 = \quad = \emptyset + \parallel =$$

$\Phi O O I \quad \square O E \cdot \quad + \vdots \cdot \quad + \parallel + \mid +$
 $+ \textcircled{1} E \textcircled{0} +) \quad \parallel \textcircled{0} \quad = \textcircled{+} \parallel \cdot \quad O +$
 $= O \mid \mid \quad \square \textcircled{1} \cdot) \quad + \mid \cdot \quad \square O \varepsilon \square \cdot \quad \mid \cdot$
 $+ \vdots \cdot \parallel + \quad \mid \square \parallel \varepsilon \quad E \varepsilon + = \mid = \quad E \varepsilon$
 $\textcircled{0} \square \vdots \cdot \quad \mid = \parallel \quad = E + \mid \vdots) \quad \mid \parallel \cdot \quad \varepsilon +$
 $\textcircled{\mid \parallel \textcircled{0}}$
 $\parallel \vdots \cdot \cdot 1:26 \sim 38$

$\underline{+ \vdots + \quad \mid \varepsilon \textcircled{0} = \cdot}$

$E \vdots E \mid \quad = \mid \varepsilon \quad \square \mid \vdots \cdot \parallel \quad \vdots \varepsilon \textcircled{0} \textcircled{0}$
 $\textcircled{\mid \textcircled{+} \textcircled{0}} \quad \square O \quad \varepsilon + E \square \quad \mid E \mid +$
 $\vdots \parallel \quad E \vdots + \Phi \mid \quad \textcircled{0} \square = \mid \textcircled{0} \mid \quad \varepsilon \textcircled{\mid E \mid}$

$+E\vdash +E\mathcal{E} \quad ++\vdash O+ \quad +\sqsubset \odot$
 $\odot \vdash O\mid \mathcal{E}\odot \quad \sqsubset \odot \vdash \sqsubset \mathcal{W}$
 $=\odot O\mathcal{E}) \vdash =E\sqsubset \vdash \vdash O\sqsubset \vdash$
 $E\mid \quad E\vdash \odot) \quad \mathcal{E}\odot \mathcal{H} \quad \vdash E\vdash \quad \mathcal{H}\parallel E=$
 $\vdash \parallel \quad \mathcal{H}\parallel \mathcal{E} \quad \mathcal{H}\parallel E= \quad \vdash O\sqsubset$
 $\mid \odot O \quad \vdash \mathcal{E} \quad \vdash O \quad \vdash \parallel \quad \mid \# E\mathcal{E}$
 $\vdash O \quad \vdash O\sqsubset \quad \mid \sqsubset \vdash \parallel \quad E=E$
 $\odot \odot \sqsubset \vdash \quad \odot + \parallel \vdash \sqsubset \quad \mathcal{H}\parallel \odot \quad \sqsubset \odot$
 $\mathcal{E}\mid \quad E\vdash \quad \vdash \mathcal{E}=1 \quad \mathcal{W}=E \quad \mathcal{H}\parallel$
 $E+=\vdash +\odot \quad \vdash \cdot \quad E\sqsubset O\mathcal{E}\sqsubset$
 $+E O\mid \sqsubset \vdash \quad O\vdash =\parallel \quad \mid \mathcal{H}\parallel \mathcal{H}$
 $+O\vdash \underline{E O}) \quad \odot \parallel \quad E\mathcal{W}\vdash \quad \vdash \cdot$

$$\begin{aligned}
& \parallel = :: \quad (101+) + 0 \vdots \cdot 000 \\
& = :: H E I + + \chi = E \vdots + 0 E :: \\
& + 0 0 \varepsilon \quad E \vdots :: \parallel \quad \vdash + \varepsilon \quad 1 \vdots 0 \varepsilon \\
& H \parallel 0 = 0 \parallel \cdot \quad E \vdots \quad \vdash \vdash \quad E \vdots \\
& E \vdots \quad 1 [0 \vdots \vdash \quad 1 H + \vdots \vdash) \\
& \qquad \qquad \qquad \parallel \vdots \cdot \quad 2:1-7
\end{aligned}$$

$$\begin{aligned}
& [\parallel \quad \vdash \vdots + 1 + \quad \varepsilon [E \backslash \\
& \vdots \parallel = \cdot \quad \vdots \vdash = [E \backslash \quad E \vdots 0 H \\
& E \backslash \quad \vdots 0 \varepsilon 1 0 1 \quad 0 \vdots E) \quad 1 H \parallel \parallel 0 1 \\
& \vdots \parallel 0 \quad 1 [\parallel \varepsilon) \quad \vdots \parallel \vdots \parallel + 1 \quad 1 0 \\
& 1 \parallel \cdot \cdot 0 [\cdot \quad 1 [\parallel \varepsilon) \quad 0 [\vdots 1 \quad \vdots 0 E 1
\end{aligned}$$

=||\) 101 J: || O E = + O C : C
 H || O 18+ = S : = W = O || \ || : \
 = * : || \ O O T E = + + T +
 S + E C : || J : || O O S || H || O
 M || E . + = O = = W = E : : O C
 I C I : || E = E C O O O S
 = C O I || C O H = C || \)
 = O T + O I C O || C O H =
 E + I S C O O O + || E : + O E : :
 O O E E : : || \) + O C E O
 I H || \ ... || : C || : I : || O I
 E H || \ # I = I : || : || S J : || O

= | 0 : [O I] [6] . ' ' |
 0 : [O] [6] . E : # | = |
 = | [+ : :]) || ... O E : [E]
 [1 ']) ⊕ [H] || : | # | = |
 : || 0 | [6] = || [E] ' 0 0 |
 | | : = 0 + || : [| ε 0 +
 = ' ' = E | : [|| [|| | :) ' ||
 + 0 [E] | ε | [0 ε [E ε 0 H
 E 0 0 0 0 0 E | E : : ||)
 ⊕ | ε | [|| 0 | = E 0 | + = |
 H || 0 0 0 = E ε) = + 0 || |
 : || : | : H = | 0 | H || = E 0 | |

$\square EI \vee \square OS \square \cdot + \therefore + = \emptyset + + |$

$\rho \sqcup \varepsilon \therefore || + \odot \square E O \vdash | + E \therefore$

$= || \vee + \therefore || \vee \square EI \vee \odot \therefore \square OI$

$\square \rho \cdot \odot \vdash EI \vdash EI | \square \rho \cdot \neq ||$

$= \odot \odot || \vee | \varepsilon | \therefore || \square \odot O +$

$\therefore || \rho || \vee = E \odot | + \square || \vee$

$|| \therefore \cdot 2:8 \sim 20$

$\odot \square \varepsilon | E \cdots | + = | \varepsilon | \square || \varepsilon$

$E \neq O + \square EI \odot + = \odot \square \dot{\vdash} E$

$+ = \vdash \odot \odot \square \varepsilon \odot = \cdot \odot \square = \square ||$

$$I \parallel \odot \quad \vdots \odot = \cdot \quad = \oplus \odot \vdots E \odot \quad (1+)$$

ΕΠΟ ΕΠΟΙΤ Γ. ΕΠΣ

ΠΕΤΙ ΣΟΗ ΕΛΟΣ· = .

$$+1E. \quad +=O+ \quad 11 \quad +:O.$$
$$+1 \Gamma \Gamma E \Gamma \Gamma H I I E E: = \Sigma \Gamma = \odot \odot + I I :: E \odot$$

$\frac{1}{2} + \frac{1}{2} = 1$

$$= + = \therefore + \oplus 1 \quad E \therefore + = 0 +$$
$$I \sqcup \Sigma \quad I \vee \quad : H E \Sigma \quad I \parallel \Theta \quad : \parallel$$
$$E + = E = \parallel \quad \varepsilon \sqsubset \parallel \varepsilon \Big) \cdot \parallel \setminus + \parallel \odot$$

ΕΘΗΘ:Ι ΣΤΒΙ. ΒΙ:ΣΜ

$$[E: \quad \odot | + + \quad + E \oplus \odot |$$

$$\odot = + \uparrow \square \varepsilon \mid \quad E \vdots \quad + = 0 +$$

$$\mid \square \underbrace{\uparrow \odot}_{\varepsilon \mid} \varepsilon \mid \parallel \odot \quad \vdots \quad \vdots \odot \square$$

$$\odot + \parallel \vdots E \odot \quad \uparrow \mid \odot \square \quad \odot \square \varepsilon \mid)$$

$$\parallel \odot = E \varepsilon \quad \square \odot = E \square \parallel \vdots \mid$$

$$\uparrow \parallel \vdots \mid \quad \uparrow \square \varepsilon \quad \uparrow \parallel = \mid \vdots \mid \varepsilon \quad \uparrow \parallel \odot \odot \varepsilon \parallel$$

$$= 0 \uparrow = \square \mid = \mid \parallel + \mid \mid \mid \square \underbrace{\uparrow \odot}_{\varepsilon \mid})$$

$$\odot \uparrow \uparrow \odot \quad \square \mid = \mid \parallel + \mid \mid \odot$$

$$= 0 \uparrow \square + = 0 \mid \varepsilon \parallel \square \odot \uparrow =$$

$$= E \uparrow \parallel \mid \square \parallel \varepsilon \mid \vdots) \odot \square + \vdots = \varepsilon \uparrow =$$

$$\square \mid = \mid \parallel + \mid \mid \mid \square \underbrace{\uparrow \odot}_{\varepsilon \mid}) \uparrow \uparrow$$

$$\uparrow \odot \cdot \mid \vdots \mid \mid \square \underbrace{\uparrow \odot}_{\varepsilon \mid}) \odot \quad E = \varepsilon \mid$$

$$\square \odot = \mid \quad \odot \odot \odot \quad \varepsilon \odot = \cdot \quad E \vdots \square \odot$$

$$1:1 \quad 1 \square \rho 1 \cdot = 1 = 01 \quad \text{H} \parallel E \odot 11$$

$$= + = : + \odot 1 \quad E : \parallel : E + 1 \rho 0 :)$$

$$: \odot \chi = \odot \square \varepsilon 1 \quad \odot 1 \square 0 \quad \varepsilon \square \rho 1 \cdot$$

$$1) \quad \square \parallel \varepsilon = 1 \square 1 \varepsilon \quad \varepsilon = : \parallel \varepsilon 1 :$$

$$\square 0 E \cdot \quad E \square + \quad E : \parallel \dots 0 \quad \rho \parallel \backslash$$

$$= + \odot : 0 \odot :) \quad \text{H} \parallel \odot \quad \rho + = 1 \backslash \quad \varepsilon 1 +$$

$$\odot \odot \odot 1 : = + : 1 : \quad E : E \square \vdash = \rho + 1$$

$$: \parallel) \quad \square \odot \quad 1 0 \quad 1 \odot \text{H} 1 \varepsilon = \odot : 1 \backslash$$

$$+ E + \quad \varepsilon + = \rho + 1 \quad \square \odot \quad : 0 = \cdot$$

$$1 \parallel \dots 0 \square \cdot \quad \varepsilon + E \square 1 : \odot \odot \varepsilon \parallel)$$

$$\odot 1 + \quad E 1 \vdash \quad : 1 \backslash \quad : \text{H} = 1 \odot 1 \quad \text{H} \parallel$$

$$= \text{H} \parallel \odot \quad + = 1 \backslash) \quad \square 0 1 \quad 1 \odot 1 \quad \odot \square \varepsilon 1$$

$\odot \odot \odot :: = 1 \quad \square \beta 1 \cdot) \quad 1 \cdot \quad \varepsilon \square \odot \varepsilon \square \cdot$
 $\cdot \backslash \varepsilon \odot = \cdot) \quad \odot \odot \odot = \cdot \quad :: E \odot \quad \# \parallel$
 $E \odot \odot E = \quad \varepsilon E \quad \odot \cdot \cdot \odot \quad \varepsilon E$
 $\varepsilon \cdot + \backslash \quad E :: \quad \cdot \parallel \odot \odot \varepsilon \parallel) \quad E :: \parallel$
 $\# \square \parallel \quad 1 \square \beta 1 \cdot \quad \# \parallel \quad \Gamma \square \oplus \backslash$
 $+ E \square \quad \cdot + \backslash \quad E \square \backslash \quad \square E \odot \backslash$
 $1 = \parallel \backslash \quad \cdot + \backslash) \quad E + \odot E :: \quad + :: \odot \cdot$
 $\square 1 \square \quad + \parallel \odot) \quad + \parallel \varepsilon \quad + 1 \odot +$
 $+ \cdot + \quad \odot \square \quad \cdots 1 + = \quad = \parallel + \quad \# 1 = \parallel$
 $\vdash = \beta + \quad 1 \odot \odot) \quad \beta = \beta \odot + \quad = \parallel \backslash)$
 $+ \cdot \cdot \quad \odot \cdot \quad \parallel \backslash \quad E \# \odot \cdot \quad \Gamma \parallel \# 1 +$
 $+ E = \quad E \parallel \odot 1 +) \quad E \# \odot \quad \odot \cdot \quad 1 \parallel \odot 1 +$

$+ \sqsubset \odot \quad + \vdots \sqsubset \parallel + \quad \vdots \oplus \Gamma \cdot \quad + \sqsubset +$
 $+ \sqsubset \odot = 1 \quad 1 = + \varepsilon \quad E \vdots \underbrace{\Gamma} = \oplus \Gamma \sqsubset E$
 $\vdots 1 \quad 1 \sqsubset \beta 1 \cdot \quad = \Gamma = \underline{\odot 1} \quad + \vdots \odot E \sqsubset \beta 1 \cdot$
 $\vdots E \quad E \parallel \quad + + \Gamma \sqsubset \quad + \parallel \odot \quad + + + \underline{\odot}$
 $+ \odot E = \quad E \vdots \odot \vdots + \quad + E E \vdots$
 $+ \odot 1 \sqsubset \odot \quad \varepsilon \sqsubset \beta 1 \cdot \quad + + \Gamma =$
 $\odot + = \quad \odot \odot \odot \quad \varepsilon \odot = \cdot \quad \varepsilon + E \sqsubset$
 $\vdots \parallel \quad = \odot \Gamma E 1 \setminus \quad \varepsilon \odot \Gamma \sqsubset \quad \odot + \parallel \vdots E \odot$
 $\parallel \vdots \cdot 2:21-38$

$\underbrace{\sqsubset \odot 1 \setminus \quad = \sqcup \Gamma \sqsubset E 1 \setminus \quad E \Gamma \Gamma}_{\odot \quad \vdots = \quad \varepsilon \odot = \cdot \quad E \vdots \quad \vdots \odot \sqsubset \quad \odot + \parallel \vdots \sqsubset}$
 $E \vdots \vdots \parallel \quad 1 \# E \varepsilon \quad E \vdots \Gamma \sqsubset 1 \quad 1 \sqsubset 1 \vdots \parallel$

∴OE Iε CΘI\ E=Ш= E∴

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$E \sqsubset \odot \odot : O \cdot \quad I + = O + \quad : \parallel I + E \sqsubset$
 $I : \parallel) \quad T \sqsubset \varepsilon \quad E : \odot I \quad + \odot \vdash \quad I E T$
 $= E : \quad T : = \quad \parallel \sqsubset \odot H =) \quad I \setminus \odot \quad E : : \odot \sqsubset$
 $\odot + \parallel : \sqsubset \quad E : : \parallel \quad I \# E \varepsilon) \quad \sqsubset \odot$
 $= : + \odot I \quad \odot H \odot \quad I \setminus \odot \varepsilon \quad I \cdot \quad \sqsubset \rho I \cdot$
 $\odot + \parallel : \sqsubset \quad E : \sqsubset E \parallel \quad I \varepsilon : E \cdot$
 $= O \sqsubset E O \varepsilon \quad \varepsilon \cdots : \sqsubset + I \quad : \parallel \quad I \varepsilon : E \cdot$
 $H \parallel \odot \quad E : \odot \quad E T \sqsubset E \quad \cdots : \sqsubset \varepsilon$
 $= T : : \parallel \setminus \quad \sqsubset E I \quad I + E \sqsubset I + \odot \odot \varepsilon \parallel)$
 $E H O E \varepsilon \quad : O E \quad : O \cdot \quad \sqsubset \odot I \setminus$
 $E : \odot \odot) \quad \odot \oplus \vdash I \quad T O = \quad : O \odot I$
 $\sqsubset \odot I + \quad I T \parallel \quad = E : \quad I H \parallel \parallel \quad + O \varepsilon)$

$\oplus | \uparrow \square \uparrow \parallel \quad \odot \oplus + \parallel \vdots \square \quad | \cdot \quad \uparrow \parallel +$
 $+ \uparrow \square \varepsilon \square \quad + \odot \vdash \quad = \parallel \setminus \quad \# \parallel \oplus + =$
 $\theta 0 0 \quad \underline{E \varepsilon}) \quad \oplus + \uparrow \cdot 0 = \square \quad + = \varepsilon \square E$
 $\odot \parallel \setminus \quad \# \parallel E \uparrow \uparrow \parallel \vdots \quad E \odot \odot \# E \vdots)$
 $\odot \quad \odot \parallel \setminus \quad \oplus + = \quad | \square | \vdots \cdot \parallel \quad \uparrow \parallel \setminus)$
 $| \varepsilon + \quad E \varepsilon \quad + 0 \varepsilon \quad = | \varepsilon | \quad E \vdots$
 $E \uparrow \uparrow \quad \uparrow 0 \odot | \quad \vdots 0 \quad \oplus E E$
 $\# \parallel E \uparrow \quad = \vdots \cdot \quad \oplus 0 0 E \varepsilon) \quad \odot \quad | \varepsilon |$
 $+ 0 \varepsilon \quad E = | \quad = \parallel \setminus \quad = \parallel \setminus \quad = \parallel \setminus)$
 $\odot \quad \uparrow \uparrow \parallel \quad \vdots | \quad | \varepsilon | \quad \oplus 0 0 \quad E = |$
 $E | \setminus + \quad \square 0 \varepsilon \square \cdot \quad \odot \# E | \odot$
 $\vdots \oplus E \vdash = \quad 0 | \quad \odot \omega \vdots \vdots | \odot |$

$= \xi 1 \oplus = \rho 1 \text{H} \odot \quad 10: \quad E + : || \odot \oplus$
 $+ 1 \oplus \quad \xi + \quad + \sqsubset \odot + \quad \sqsubset \text{T} ||$
 $\odot \sqsubset 1 + \quad \sqsubset \odot \text{H} || \odot \quad \sqsubset \rho 1$
 $\odot 1 \text{H} || \odot 1 \quad E : + \odot \text{T} + \quad E = 0 : || \backslash$
 $: 0 \quad : \odot E \text{H} : || \backslash = \xi 1 \quad + 0 +$
 $\odot \text{T} 1 \text{H}$

$$\sqsubset + \xi = 2:1-12$$

$$\underline{\rho || \quad \odot : || \quad 1 \sqsubset \odot \odot}$$

$\odot \quad \text{T} || \backslash \quad 1 \xi + \quad 1 \text{H} || \backslash \quad 1: || \odot$
 $1 \sqsubset || \xi \quad \xi \odot \text{H} \quad E : + \odot \quad 1 \cdot \dot{\text{T}} \odot$
 $+ = \xi : \quad \odot \odot \odot \quad E 1 \backslash +$
 $+ E \text{T} \text{T} : \quad \odot : || \quad 1 \sqsubset \odot \odot$

+::C:I :O E::T: O||
 H||O :OE O· EOO'T||
 OOO +OO $\frac{H}{H}$ =) C O I :O
 =ξ OOO E|+ :E :OOI
 ξ:: O::|| I C O O) ||· E W :
 :O O· :OE H||E+=+::O
 =|| I C || ξ = E H || \ I O ξ :OE= OOOI
 H|| E'T'CE :|| C O O) O
 Iξ :OE O ::OO+-=
 C O I \ T'⊕ ||:C =||\) I C I ||
 O O $\frac{H}{H}$ · OOOI :|| I:OC
 O+||:C E O O O I :|| \

1'E E 1C O O

1'0 EHO +C+T 1:OE

1H1\ 1:1O 1C1E EOH E:

+O E::1 1C O O) 1O 1:O

+ = E: OOO E1\+ +::

:1 1O O E1\ H1O =1: C E1\

1 0OO O+1) 1:O =E

OOO E1\+ O 1:1 1O O E1\)

1'0 O O1\ O O...1=O

:1 1:1 1:1 1#E E

E:E' 1O1+ 1:OE +1' O =

+O 1:E 1:1 1#E E)

$$\frac{+ \square \parallel \mid \mid \square \circ \varepsilon \square \cdot \varepsilon \square \beta \mid \cdot}{+ \mid \cdot \square \circ \varepsilon \square \cdot)}$$

$$+ \mid \cdot \square \circ \varepsilon \square \cdot)$$

$$= \parallel \mid \mid \top \varepsilon \varepsilon \quad \varepsilon + \top = \oplus \mid \square \parallel \varepsilon$$

$$\square \mid \mid \quad E = \mid \quad \square \beta \mid \cdot \quad = \mid \square \top \mid \mid$$

$$\varepsilon \parallel \odot \quad \therefore + E = \quad \mid \cdot \quad + \therefore \parallel + \mid +$$

$$+ + \square \odot + \quad + \parallel \therefore \varepsilon \quad \varepsilon \parallel \odot = \mid$$

$$\square \circ E \cdot \quad E \mid + \quad + \square + = \dot{\mid} \parallel \quad \mid \cdot$$

$$\therefore \varepsilon \parallel \odot \odot \therefore \cdot)$$

$$\varepsilon \parallel \odot \quad \square \beta \mid \cdot \quad = \parallel \top \therefore \square \odot \quad \top \varepsilon$$

$$\square \top \parallel \mid \quad \top = \odot \mid \mid \quad \parallel \mid + \quad \odot \square \mid +)$$

$$\odot \cdots \square + \mid + \quad + + = E \quad = \top \therefore \odot E \mid \mid$$

$$+ \square + \varepsilon \quad + \square + \varepsilon \quad \top \square \mid \mid \quad \therefore \parallel)$$

T. C T H \ T = O I \ O : H \ +)

T = T = T I O O O T I E : C O

I C E O I \ O I)

O O O + O H \ E : + ... = I O I

+ : H = T H : = I)

O S = I = C H N O S T E I)

C T O T O E : O T H \ C I .

= O + H I = H) : + = O : = H \ +

S O + I \ :) H \ S : H \ + : H O O S H)

: + = T S T : I T S I O S

O O : C T E : S = I + : O H =)

H : : I : 46-55

$$\frac{=||\quad | \parallel \odot \odot +}{\quad}$$

$$+ \therefore \odot \vdash + \quad \sqsubset \mid \quad = | \parallel + \mid \quad | \sqsubset \rho \mid \cdot$$

$$= || \mid) + + \therefore \parallel \quad \sqsubset \odot \parallel \mid + \quad \odot \# \parallel \cdot$$

$$= || \mid) + \mid \cdot) + \# \therefore \quad \rho \mid \sqsubset \sqsubset \sqsubset \mid \quad \therefore \parallel$$

$$\parallel \odot \odot \therefore \cdot \quad | \sqsubset \rho \mid \cdot) \odot \cdot \quad = \therefore \mid$$

$$+ E \oplus | \sqsubset \quad \vdash \cdot \quad \vdash \odot = \mid \quad \parallel \odot \odot \therefore \cdot)$$

$$\therefore + \quad | \parallel \odot \odot \therefore \cdot \quad \vdash + \vdash \vdash \vdash + \quad \odot$$

$$E + \therefore \odot \quad = \parallel \quad = E \odot \vdash \cdot \quad \sqsubset \parallel \varepsilon)$$

$$- \quad \parallel \therefore \cdot \quad | \therefore 41 \sim 42, 45$$